RSM-U Reservoir Sedimentation Workshop

Modeling Level Analysis Methods for Reservoir Sediment Management



AND HY

PEORATO

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Discussion Overview

- Topic: Modeling Level Analysis Methods for Reservoir Sediment Management
- Duration: Approximately 30 minutes
- Key Points:
 - Introduction and Background
 - Numerical Modeling and Reservoir Management
 - ► Case Study
 - Recap and Summary



What is a model?

- An abstraction of reality simplified version of the real world. Both <u>Physical</u> and <u>Numerical Models</u>
- Range from simple to complex
- Numerical Models
 - Need detailed testing against field results and physical model results
 - Can give entirely incorrect results, and not add to understanding (requires reflections)
 - Results are at best qualitative and require interpretation to become quantitative





Numerical Models – Continued

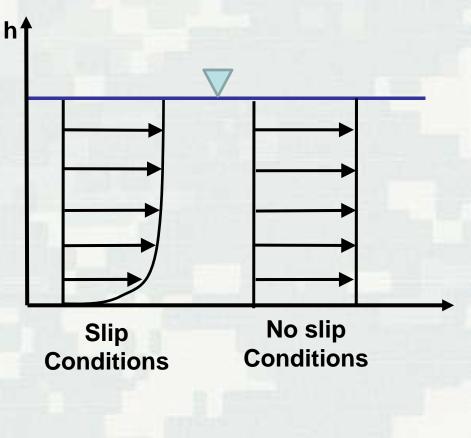
Interpretation of qualitative results requires understanding of natural processes, equations, coefficients, numerical methods and pitfalls such as assumption, instability, numerical diffusion and dispersion.

Numerical Model Interpretation

- Benchmarking reproducing analytical solutions
- Calibration reproduce measured field data
- Validation reproduce additional field data, and post-construction data with calibrated model
- Subjective 'knob turning' to produce reasonable and sensible results
- No replacement for calibration and verification
- Sediment transport modeling interpretation should be conducted by subject matter expert.



- To mathematically and physically model the principles of incipient motion, we must first describe the velocity and stress distribution in the near-bed region. This region is the area of fluid where the flow is reduced from the free stream (or far-field) velocity, u_{∞} , to the velocity at the bed (or wall), usually zero.
- This principle of zero velocity at the surface is known as the no-slip condition. In an ideal fluid, we can imagine a completely inviscid fluid where a slip condition can exist.







 The flow can be approximated mathematically with the Navier-Stokes equations, which require a balance between the inertia of flow and the applied force

 $ma = \sum F$

Flow inertia

Applied forces





Navier-Stokes (N-S) Equation Derivation

 After some assumptions, non-dimensionalize of some terms, scaling, algebra, more algebra, re-dimensionalizing, even more algebra, accounting for turbulence, additional algebra, more assumptions and we get

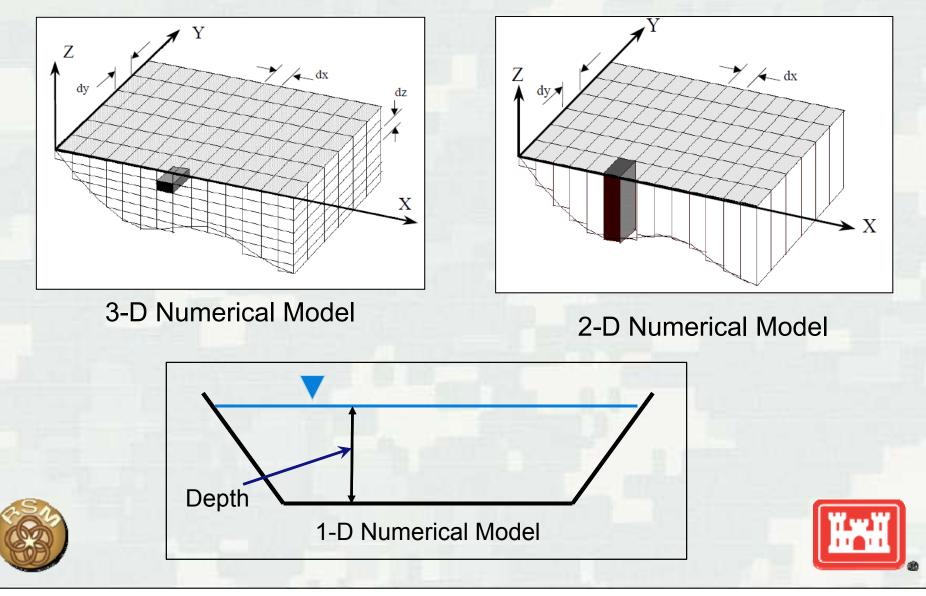
$$\frac{\tau_{xz}}{\rho} = \gamma \frac{\partial \bar{u}}{\partial z} + l^2 \left(\frac{\partial \bar{u}}{\partial z}\right)^2$$

$$Viscous$$

$$Vis$$



Numerical Modeling and Reservoir Management

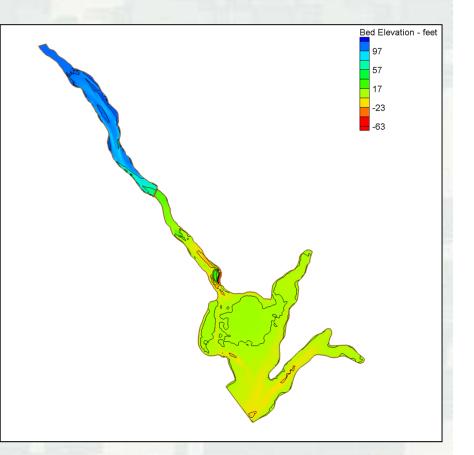


Numerical Modeling and Reservoir Management

- USACE Hydraulics and Hydrology Numerical Models
 Shallow Water Models
 - Hydrologic Engineering Center River Analysis System (HEC-RAS), Hydrologic Modeling System (HEC-HMS), Adaptive Hydraulics (AdH), Sediment Transport Library (SedLib), and Gridded Surface Hydrologic Analysis (GSSHA).
- What data is needed to conduct a numerical model?
 - Geometry Numerical Initial Conditions
 - Hydrodynamics Calibration and Validation
 - Sediment Transport Calibration and Validation
 - Identify spatial and temporal domain



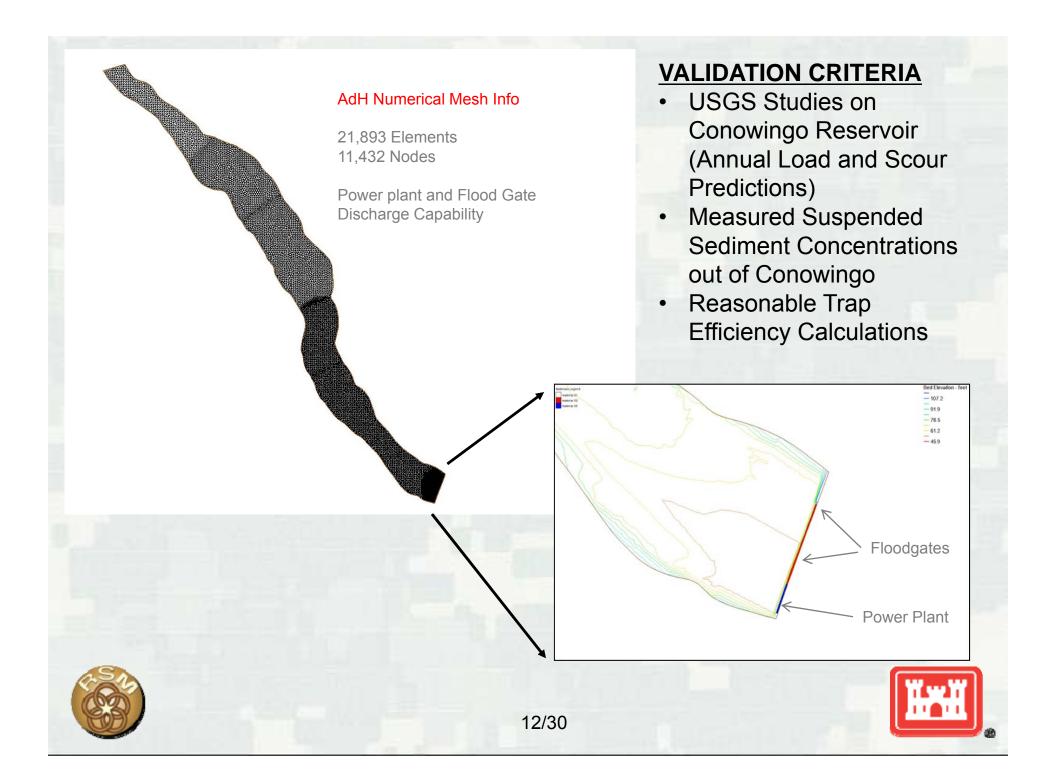
- The Susquehanna River flows through South Central New York, portions of Pennsylvania, and northeastern Maryland, draining approximately 27,000 square miles.
- Three hydroelectric dams results in a series of reservoirs located on the lower Susquehanna River upstream stream of Chesapeake Bay

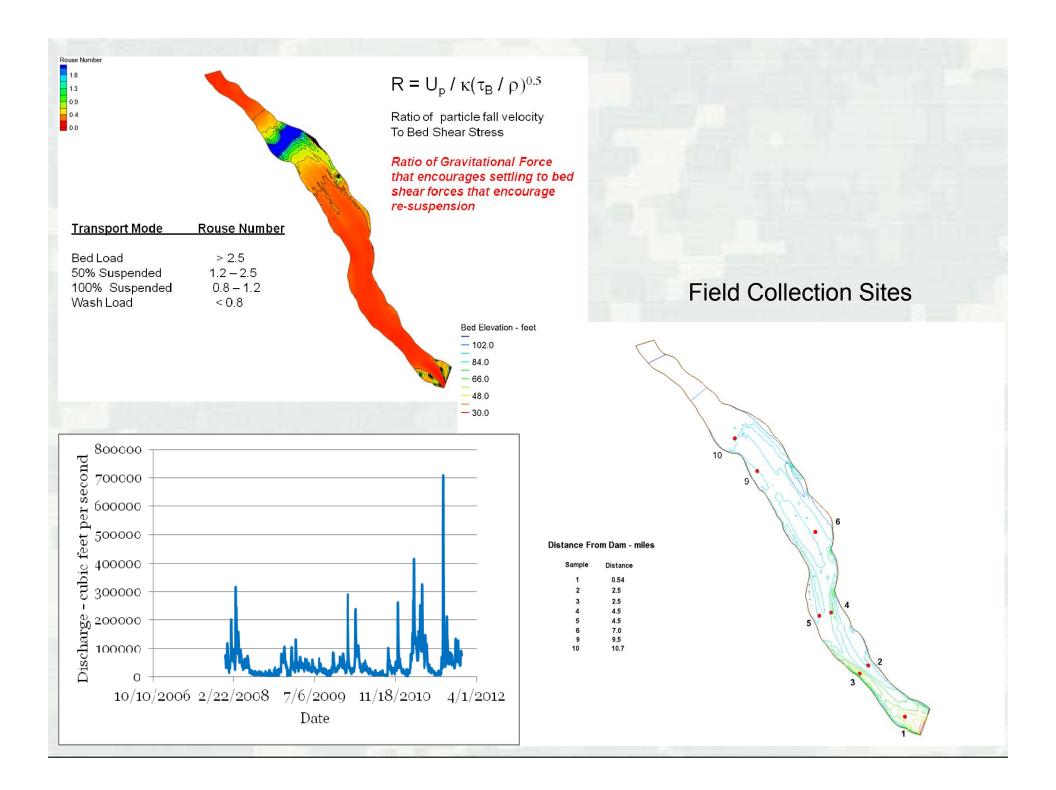


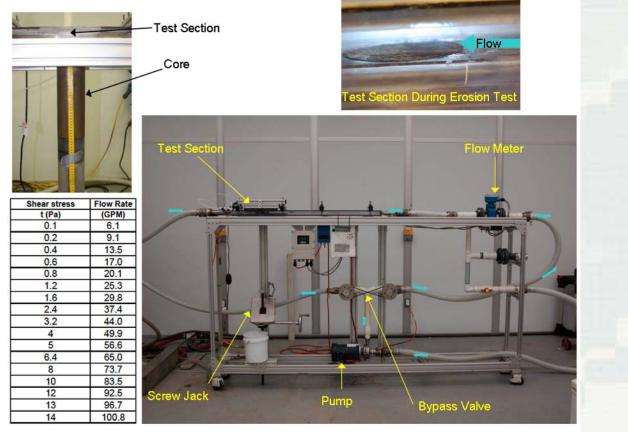


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- Three hydroelectric dams results in a series of reservoirs located on the lower Susquehanna River upstream stream of Chesapeake Bay.
- Our discussion will be limited to the lower most reservoir, Conowingo Reservoir.
- Conowingo was constructed in 1928 with a water storage capacity of 300,000 acre-ft.









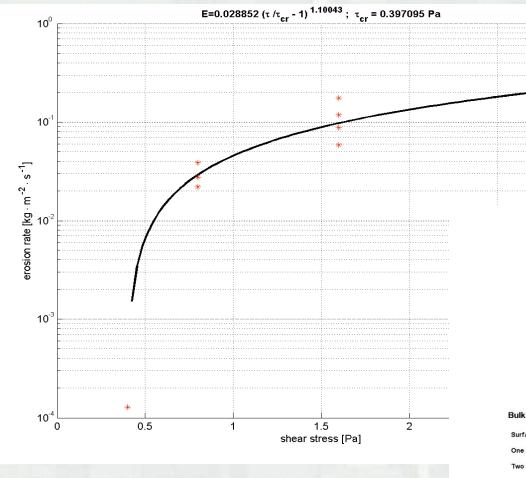


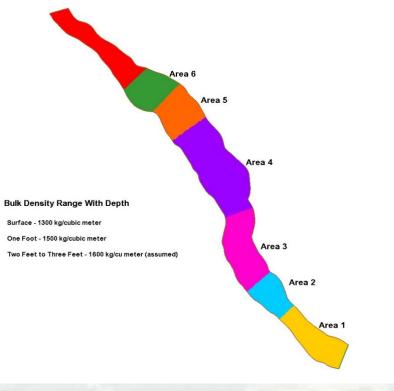
Methods to reducing uncertainty





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Summary and Questions

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